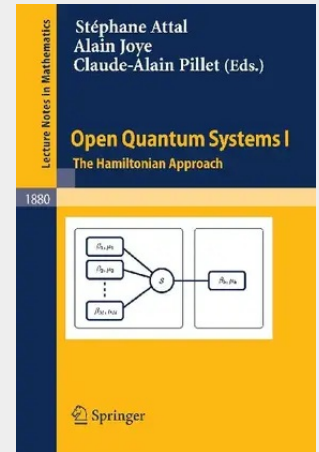


Open Quantum Systems I

The Hamiltonian Approach

This is the first in a series of three volumes dedicated to the lecture notes of the Summer School "Open Quantum Systems" which took place at the Institut Fourier in Grenoble from June 16th to July 4th 2003. The contributions presented in these volumes are revised and expanded versions of the notes provided to the students during the School. Closed vs. Open Systems By definition, the time evolution of a closed physical system S is deterministic. It is usually described by a differential equation $\dot{x} = X(x)$ on the manifold M of all possible configurations of the system. If the initial configuration $x \in M$ is known at time $t=0$ then the solution of the corresponding initial value problem yields the configuration x at any future time t . This applies to classical as well as to quantum systems. In the classical case M is the phase space of the system and x describes the positions and velocities of the various components (or degrees of freedom) of S at time t . In the quantum case, according to the orthodox interpretation of quantum mechanics, M is a Hilbert space and x a unit vector – the wave function – describing the quantum state of the system at time t . In both cases the knowledge of the state x allows to predict the result of any measurement made on S at time t .

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