Shubin

Partial Differential Equations VII

Spectral Theory of Differential Operators

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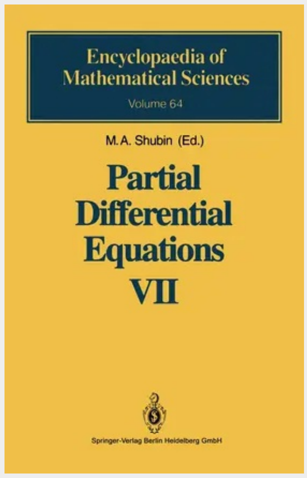

106,99 €
99,99 € (zzgl. MwSt.)

Lieferfrist: bis zu 10 Tage

Artikelnummer: 9783540546771
Medium: Buch
ISBN: 978-3-540-54677-1
Verlag: Springer Netherlands
Erscheinungstermin: 14.12.1994
Sprache(n): Englisch
Auflage: 1. Auflage 1994
Serie: Encyclopaedia of Mathematical Sciences
Produktform: Gebunden
Gewicht: 1270 g
Seiten: 274
Format (B x H): 155 x 235 mm

Kundenservice Verlag Dr. Otto Schmidt KG
Neumannstraße 10, 40235 Düsseldorf | kundenservice@otto-schmidt.de | 0221-93738-997 (Inland)