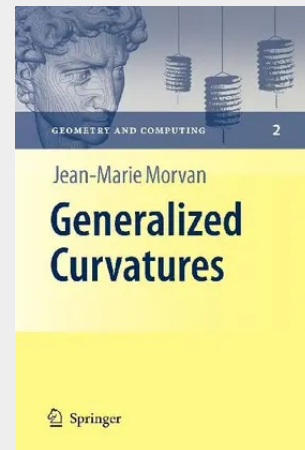


Generalized Curvatures

The central object of this book is the measure of geometric quantities describing a subset of the Euclidean space $(E, \cdot)$, endowed with its standard scalar product. Let us state precisely what we mean by a geometric quantity. Consider a subset S of points of the N -dimensional Euclidean space E , endowed with its standard N scalar product. Let G be the group of rigid motions of E . We say that a quantity $Q(S)$ associated to S is geometric with respect to G if the corresponding quantity $Q[g(S)]$ associated to $g(S)$ equals $Q(S)$, for all $g \in G$. For instance, the diameter of S and the area of the convex hull of S are quantities geometric with respect to G . But the distance from the origin O to the closest point of S is not, since it is not invariant under translations of S . It is important to point out that the property of being geometric depends on the chosen group. For instance, if G is the group of projective transformations of E , then the property of S being a circle is geometric for G but not for G , while the property of being a conic or a straight line is geometric for both G and G . This point of view may be generalized to any subset S of any vector space E endowed with a group G acting on it.

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